

# PCPNet: Learning Local Shape Properties from Raw Point Clouds

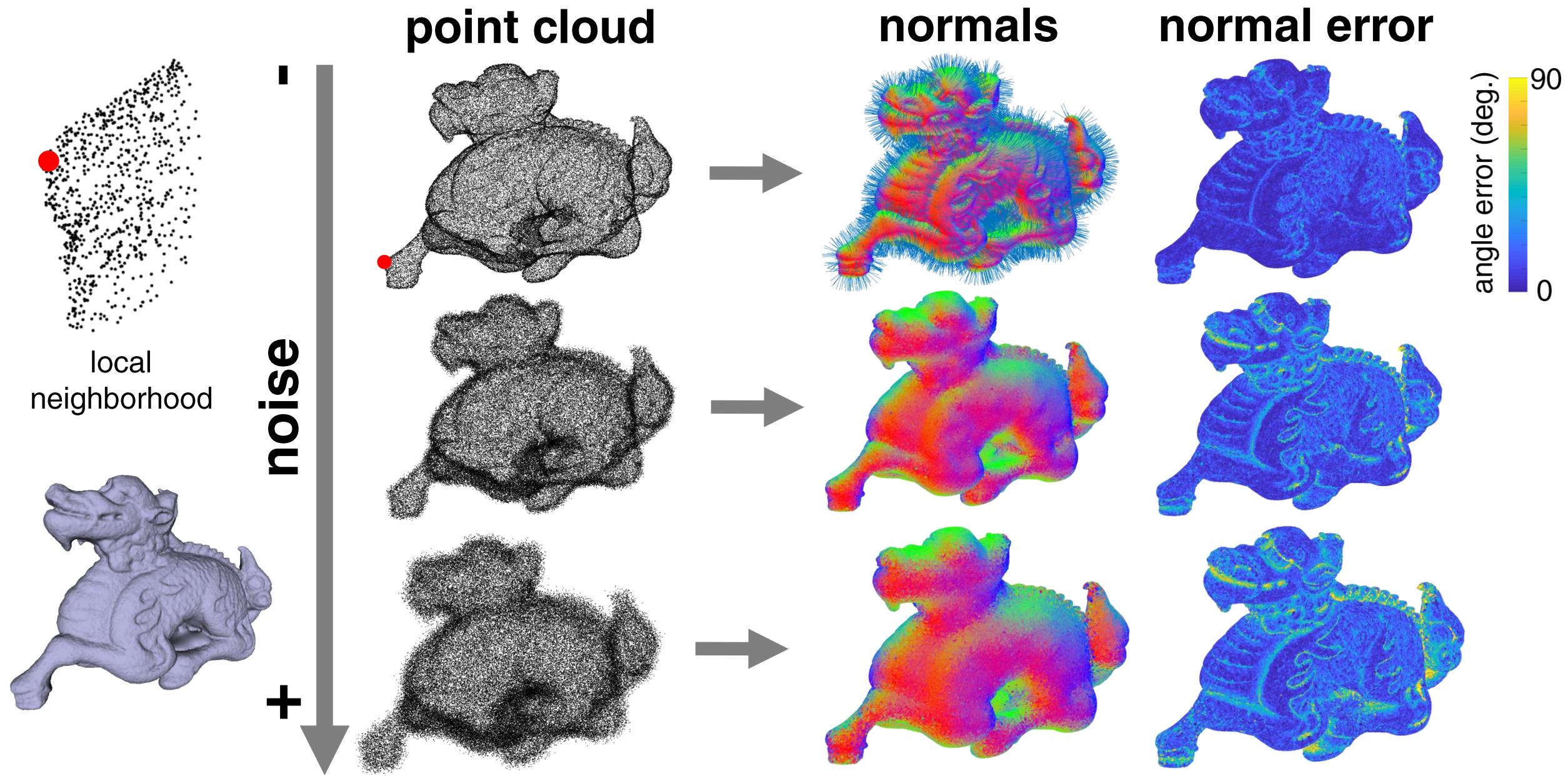
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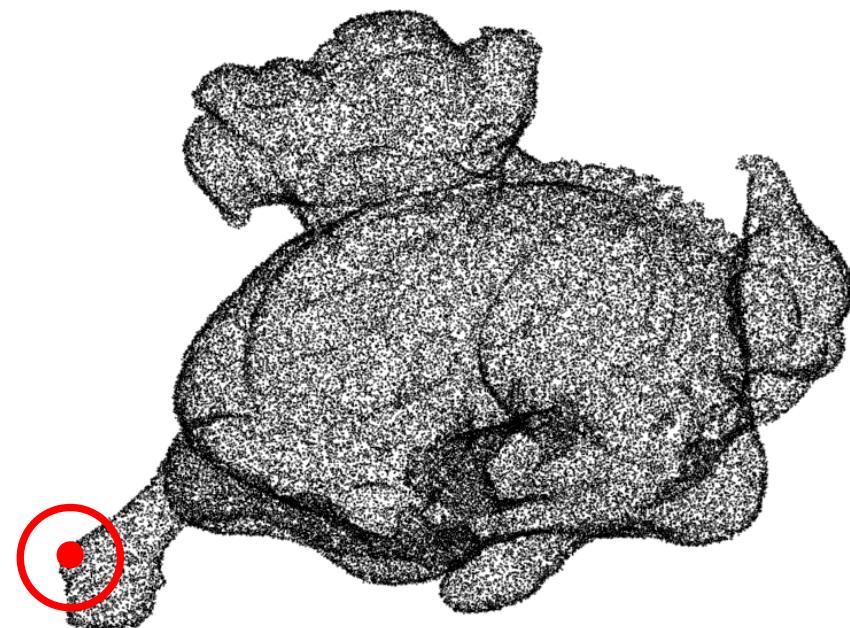
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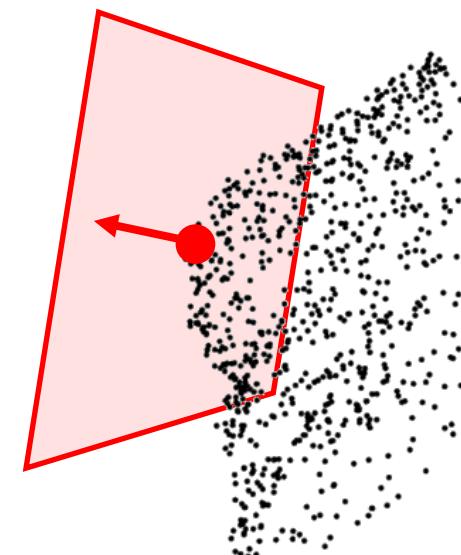
# Estimating Properties of a Point Cloud



# Traditional Approaches



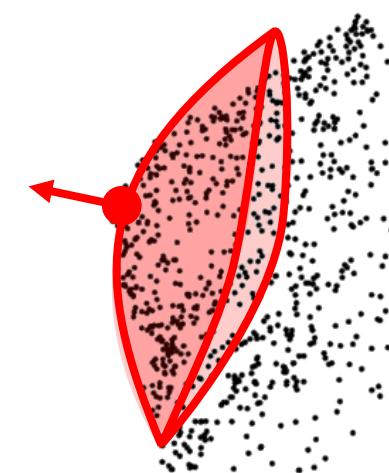
PCA



Surface reconstruction from  
unorganized points,  
Hoppe et al., 1992

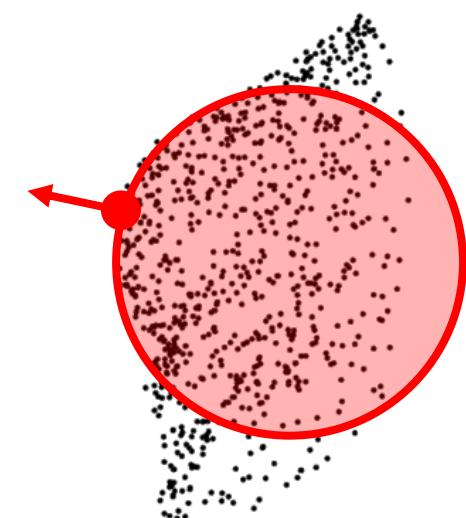
## Examples:

Jet fitting



Estimating differential  
quantities using polynomial  
fitting of osculating jets,  
Cazals and Pouget, 2005

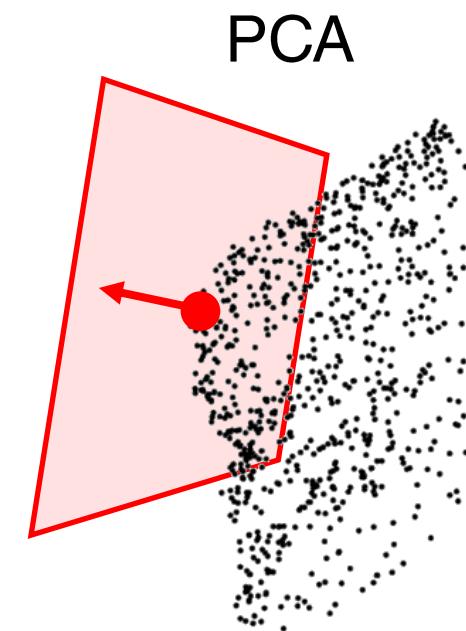
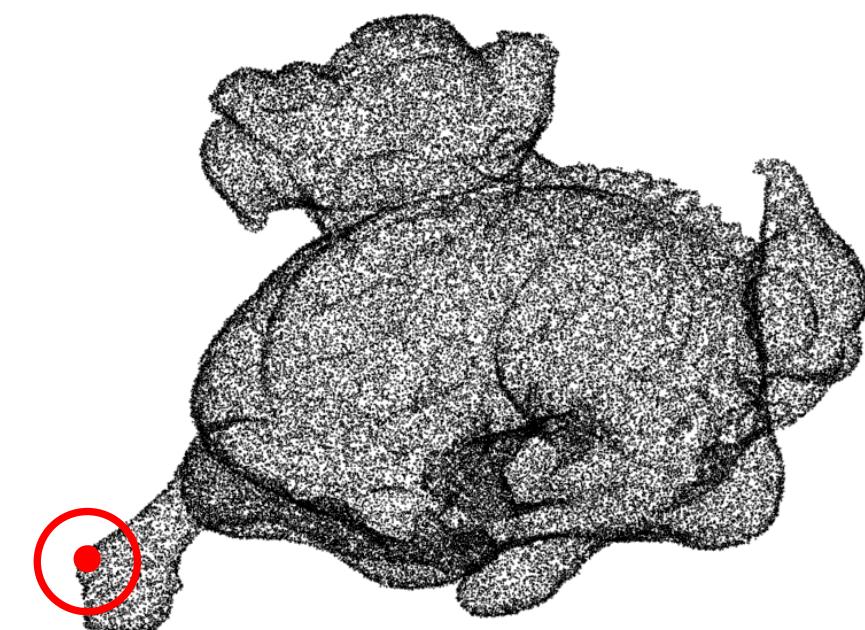
MLS Sphere Fitting



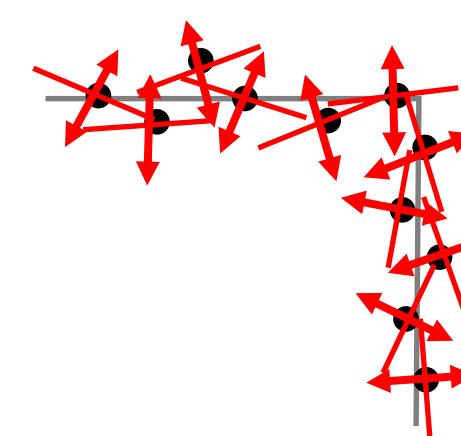
Algebraic Point Set Surfaces,  
Guennebaud and Gross, 2007

# Traditional Approaches

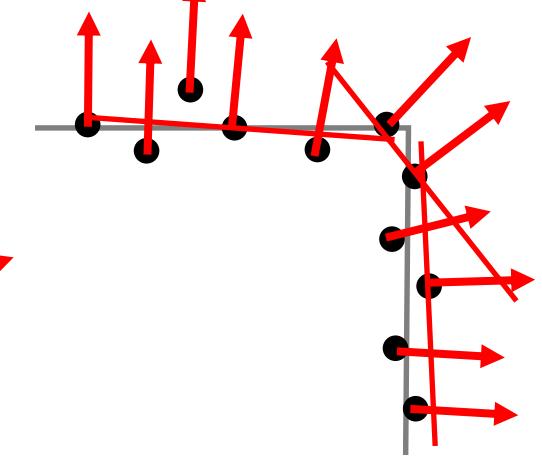
- Sensitive to parameters like patch size
- Acceptable parameter settings depend on data conditions like noise strength, feature size, ...



small  
patch size

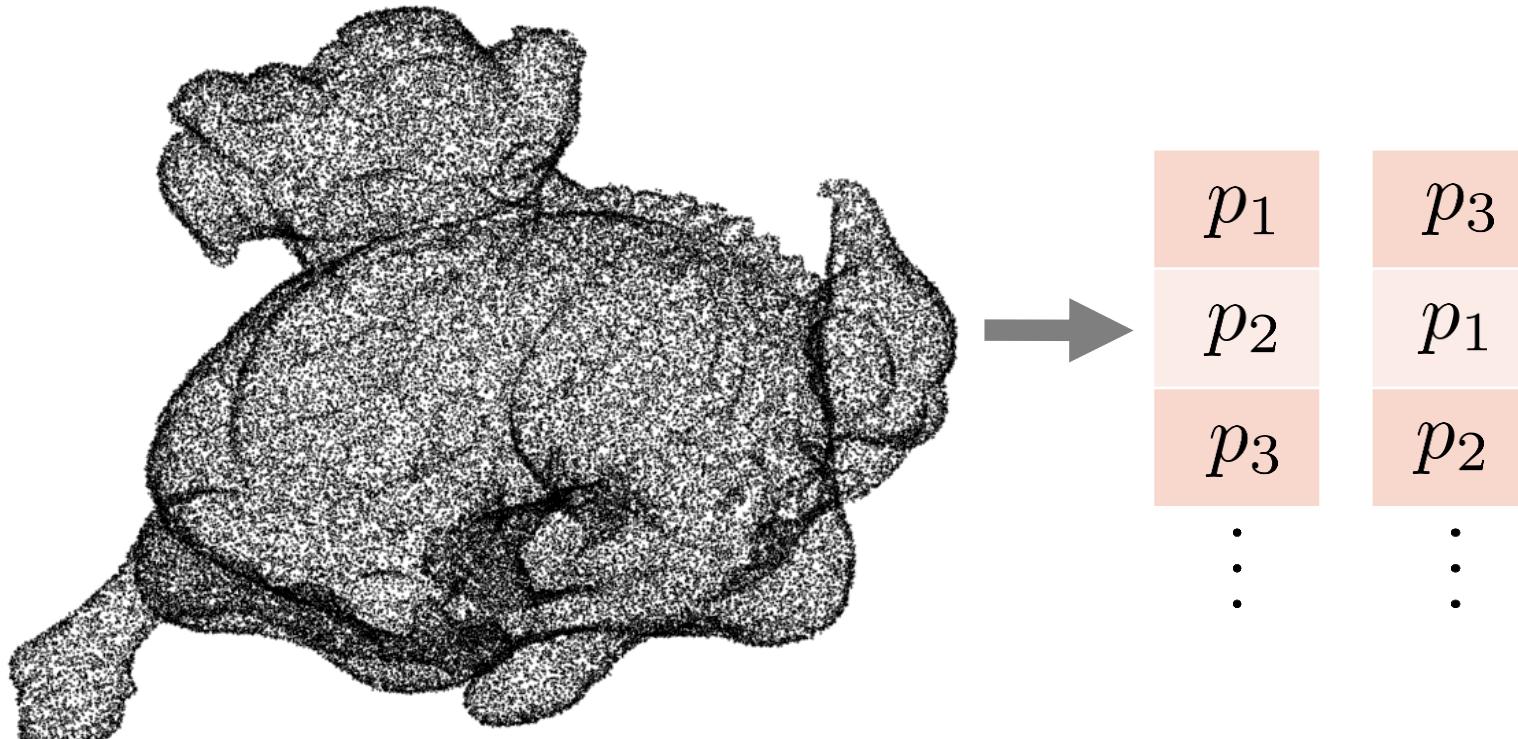


large  
patch size



# Deep Learning Approaches

- Robust to a large range of conditions
- Problem: invariance to the point order



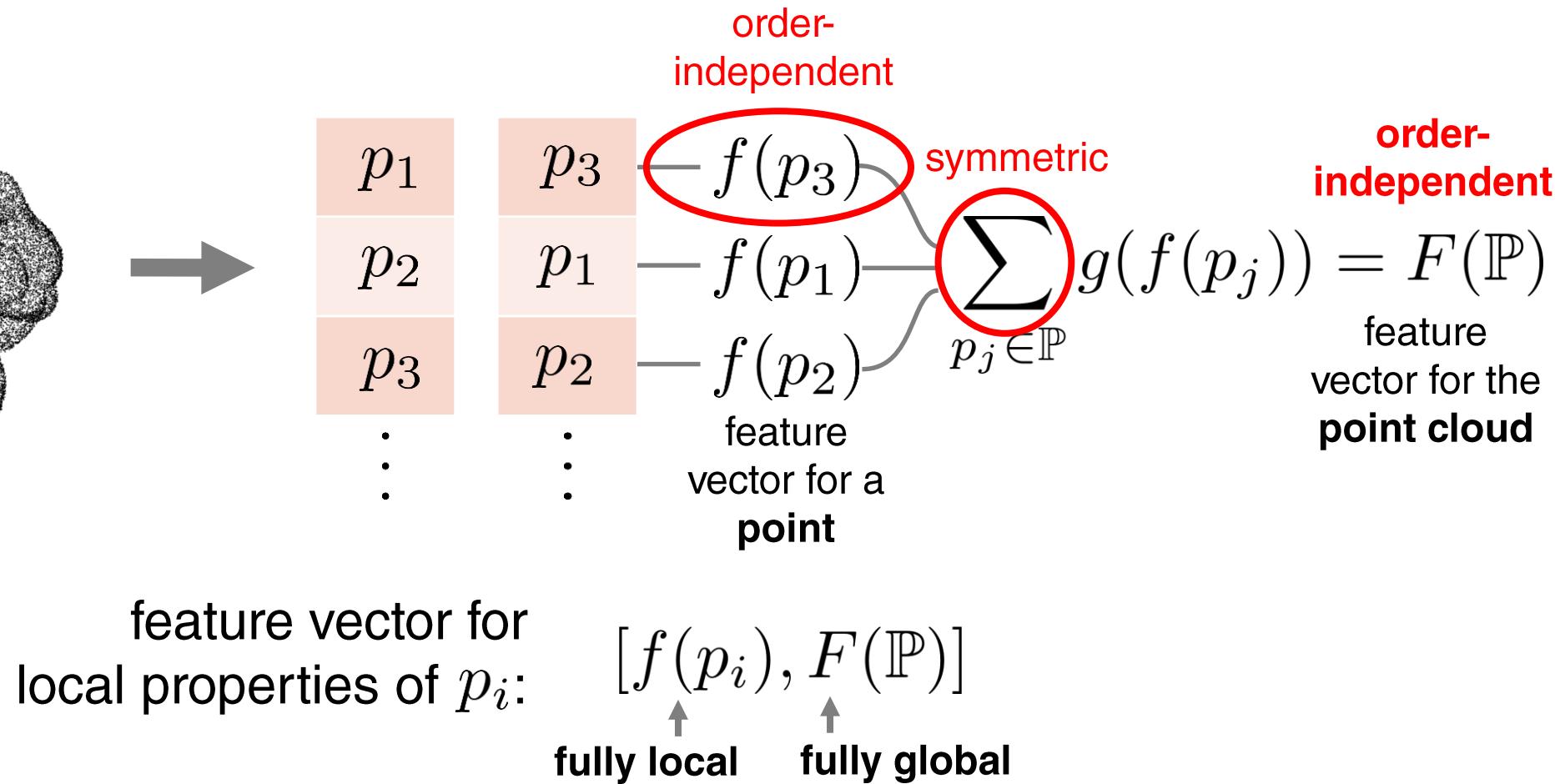
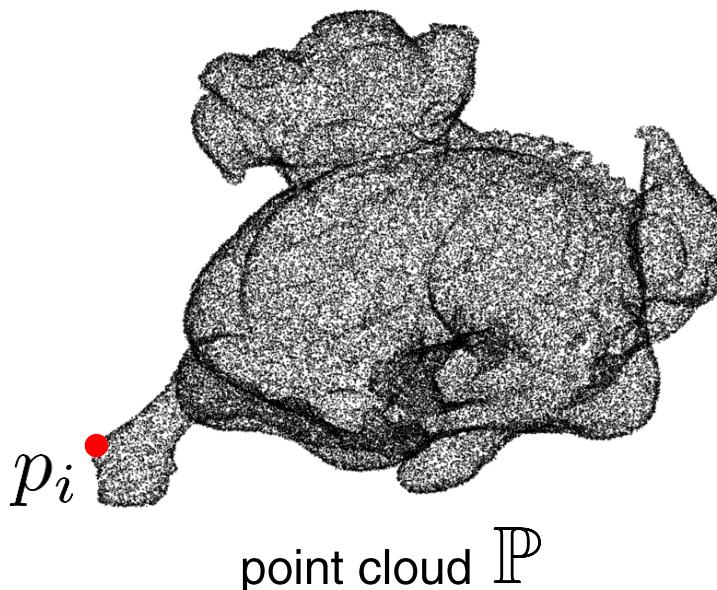
mapping to feature vector:

$$F(p_1, p_2, p_3, \dots)$$

$$\neq F(p_3, p_1, p_2, \dots)$$

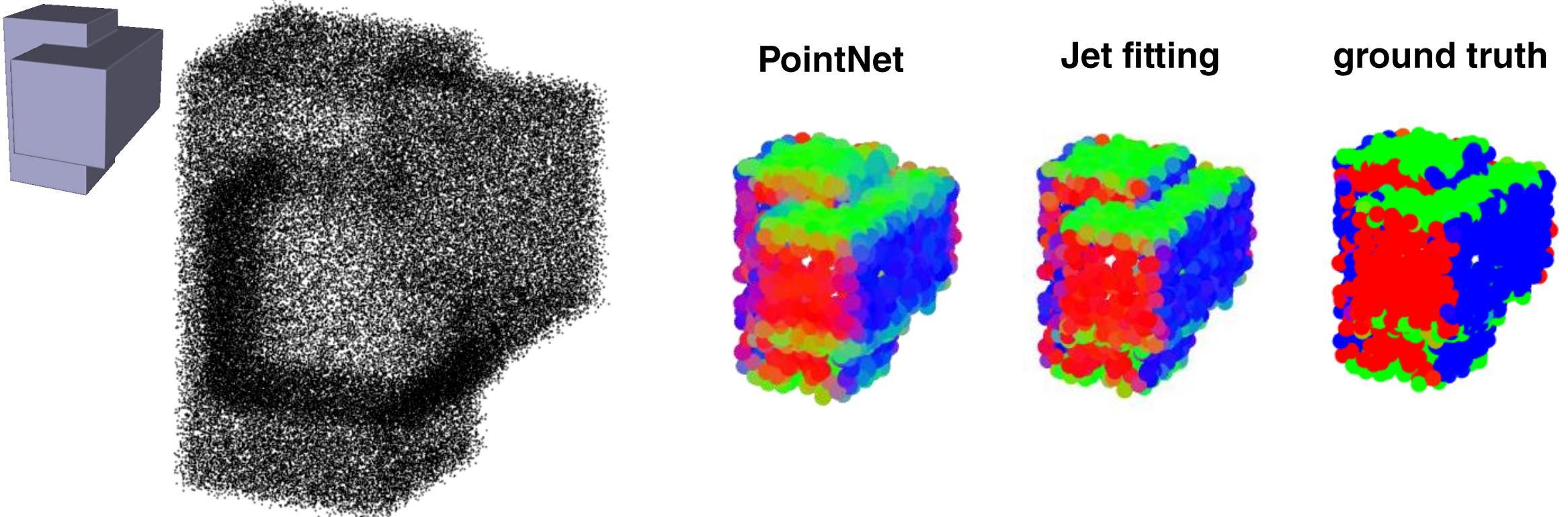
# Deep Learning Approaches: PointNet

- *PointNet: Deep Learning on Point Sets for 3D Classification and Segmentation*, Qi et al., CVPR 2017



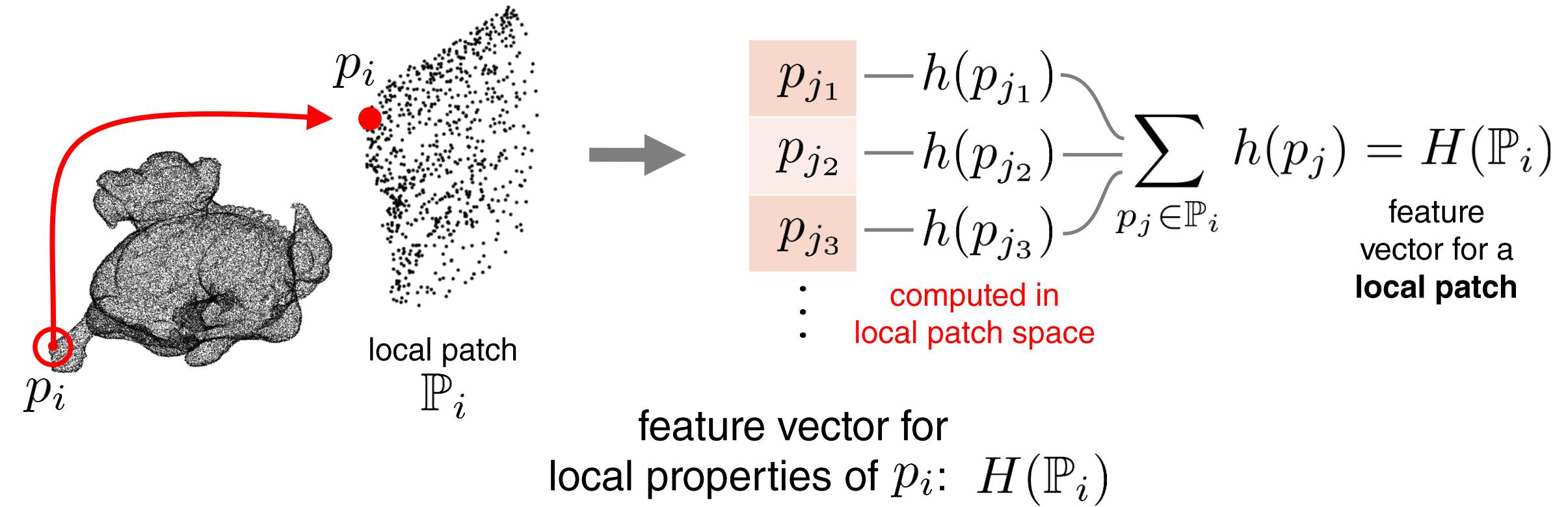
# Deep Learning Approaches: PointNet

- Using only fully global features or fully local features limits accuracy
- Not well suited for normal estimation

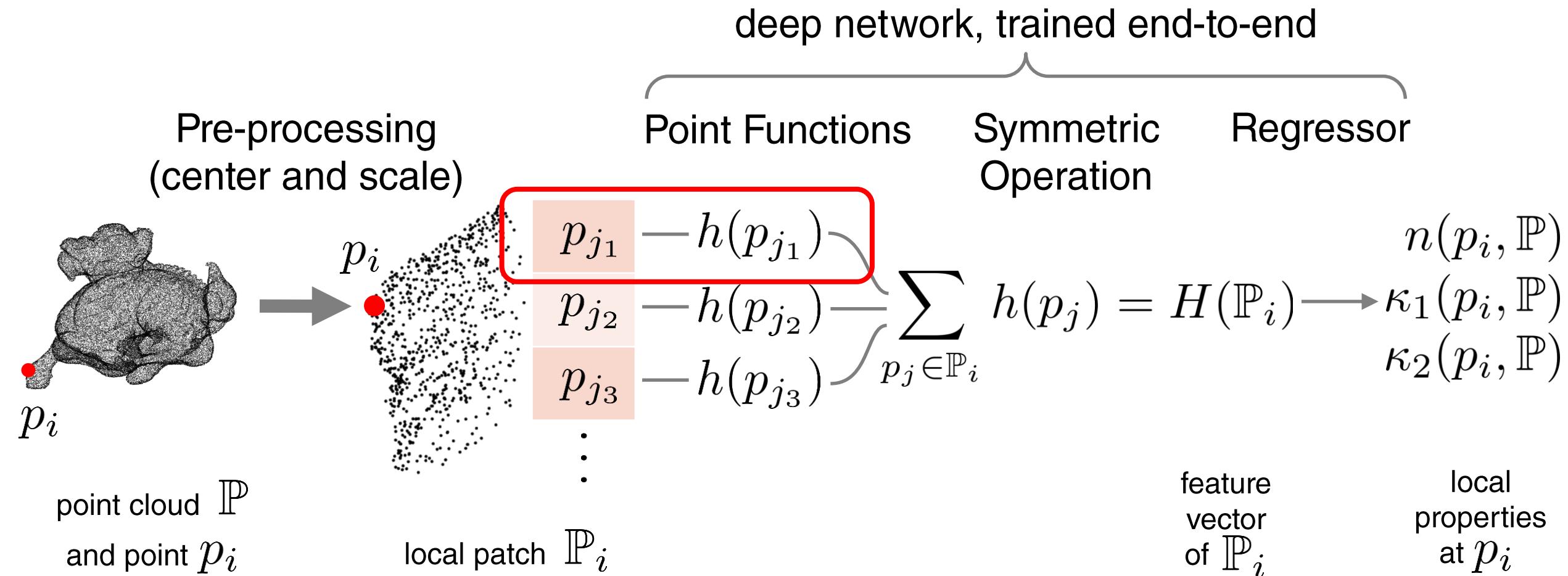


# PCPNet

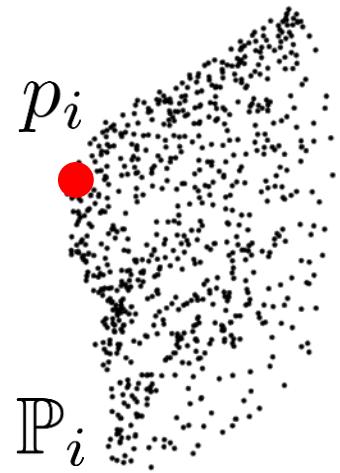
- Instead, using features of a **local patch** gives better accuracy
- State-of-the-art for normal and curvature estimation
- *PointNet++: Deep Hierarchical Feature Learning on Point Sets in a Metric Space*, Qi et al., NIPS 2017



# PCPNet Architecture

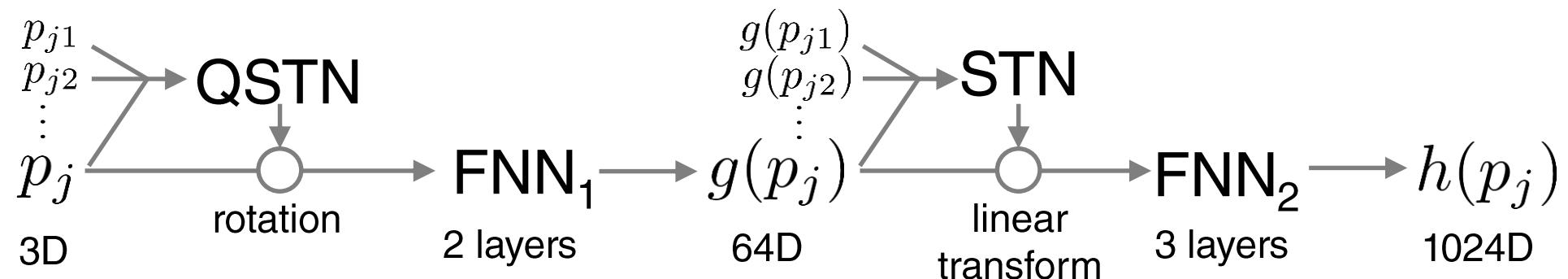


# Point Features



$$\begin{aligned} p_{j_1} - h(p_{j_1}) & \quad n(p_i, \mathbb{P}) \\ p_{j_2} - h(p_{j_2}) - \sum_{p_j \in \mathbb{P}_i} h(p_j) = H(\mathbb{P}_i) & \longrightarrow \kappa_1(p_i, \mathbb{P}) \\ p_{j_3} - h(p_{j_3}) & \quad \kappa_2(p_i, \mathbb{P}) \\ \vdots & \end{aligned}$$

1024D feature vector for each point in the patch:

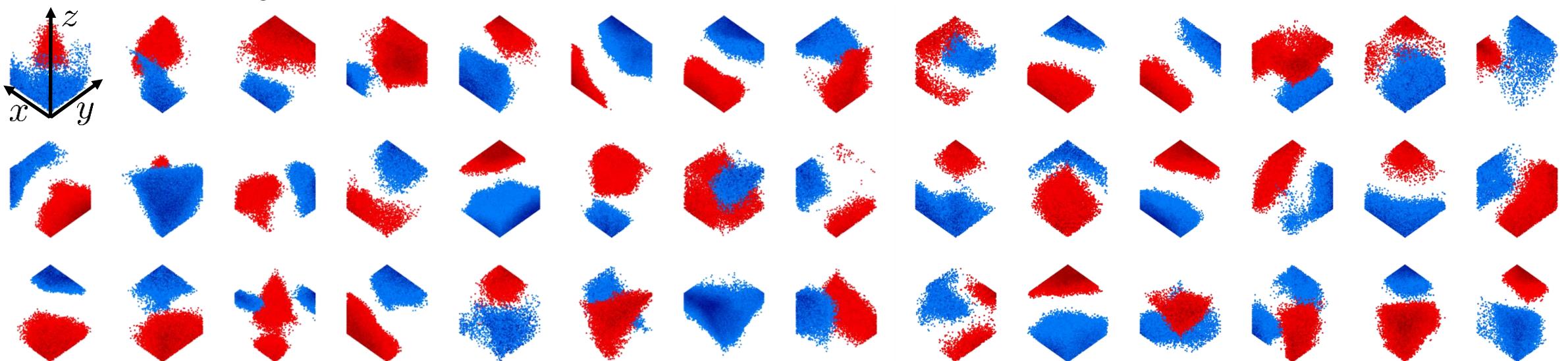


# Point Functions: Two Views

$$h(p) = [h_1(p), h_2(p), \dots, h_{1024}(p)] \text{ with } h_l : \mathbb{R}^3 \longrightarrow \mathbb{R} \quad H_l(\mathbb{P}_i) = \sum_{p_j \in \mathbb{P}_i} h_l(p_j)$$

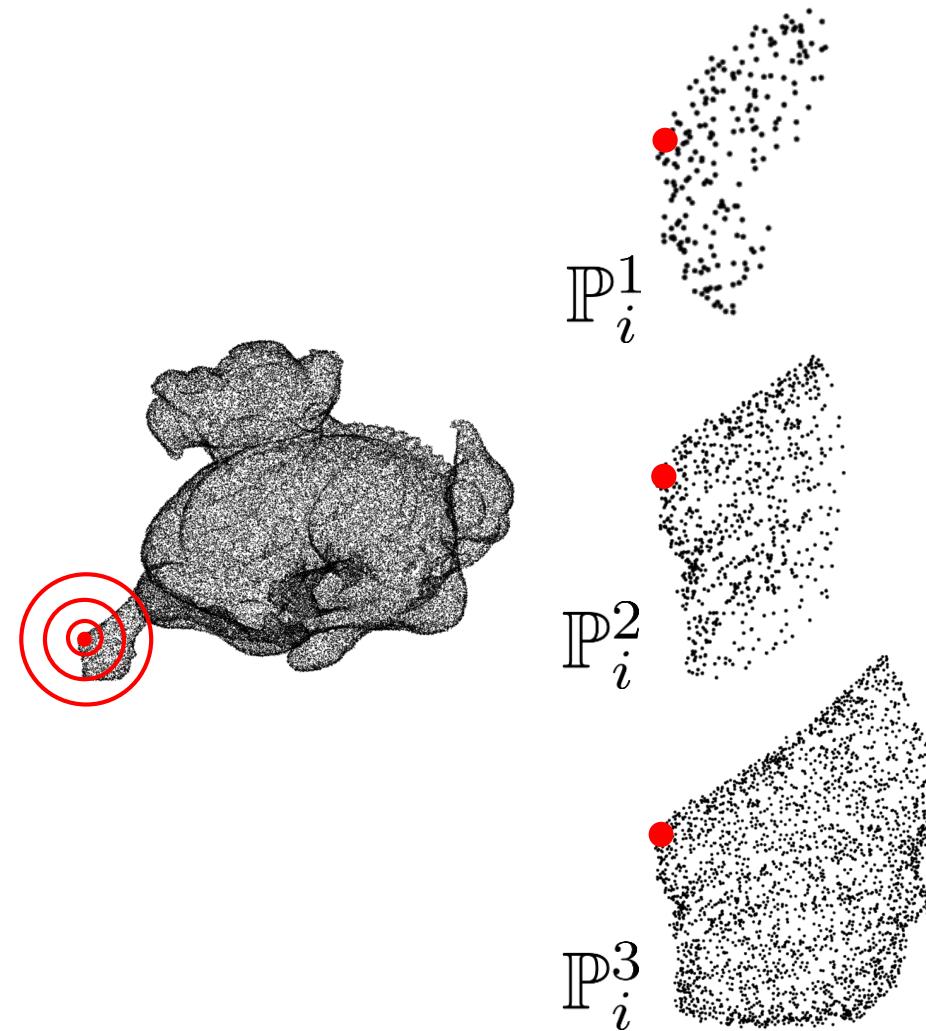
- Point functions  $h_l(p)$  can be seen as **space probes**
- Sum over all points  $H_l(\mathbb{P}_i)$  is a **density estimate**
- Point functions  $h_l(p)$  can be seen as **convolution kernels**
- Sum over all points  $H_l(\mathbb{P}_i)$  is a **convolution**

● positive ● negative ○ close to 0 (values have been 0-centered)



# Multi-Scale

- Three radii, 3072 point functions, concatenate patch features



$$\sum_{p_j \in \mathbb{P}_i^1} h(p_j) = H(\mathbb{P}_i^1)$$

$$\sum_{p_j \in \mathbb{P}_i^2} h(p_j) = H(\mathbb{P}_i^2)$$

$$\sum_{p_j \in \mathbb{P}_i^3} h(p_j) = H(\mathbb{P}_i^3)$$

$$\begin{bmatrix} H(\mathbb{P}_i^1) \\ H(\mathbb{P}_i^2) \\ H(\mathbb{P}_i^3) \end{bmatrix} \rightarrow \begin{array}{l} n(p_i, \mathbb{P}) \\ \kappa_1(p_i, \mathbb{P}) \\ \kappa_2(p_i, \mathbb{P}) \end{array}$$

# Results

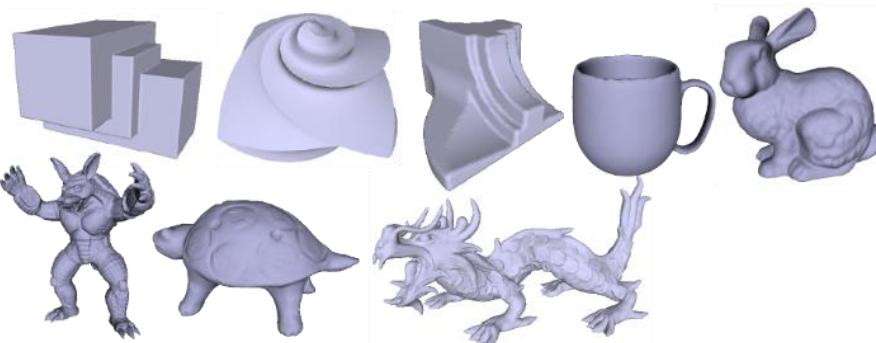
# Dataset

## Full shape dataset

each shape sampled with 100k points

each point can be a patch center

training set

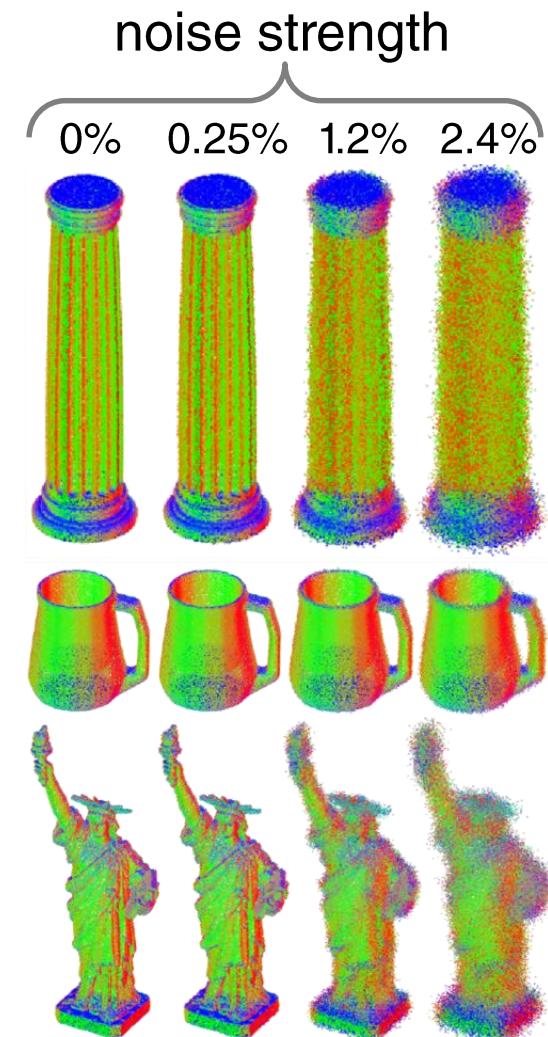


test set

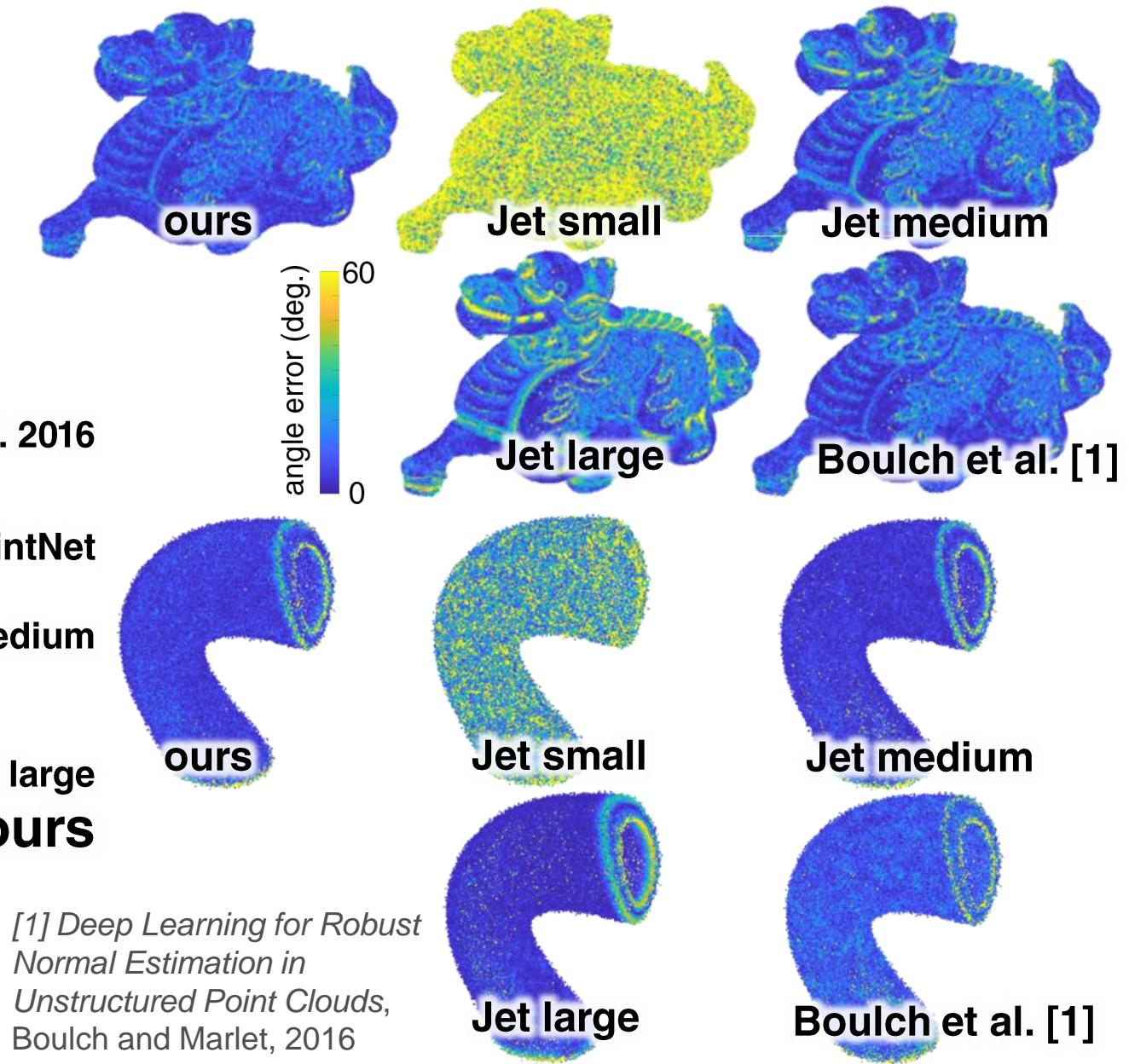
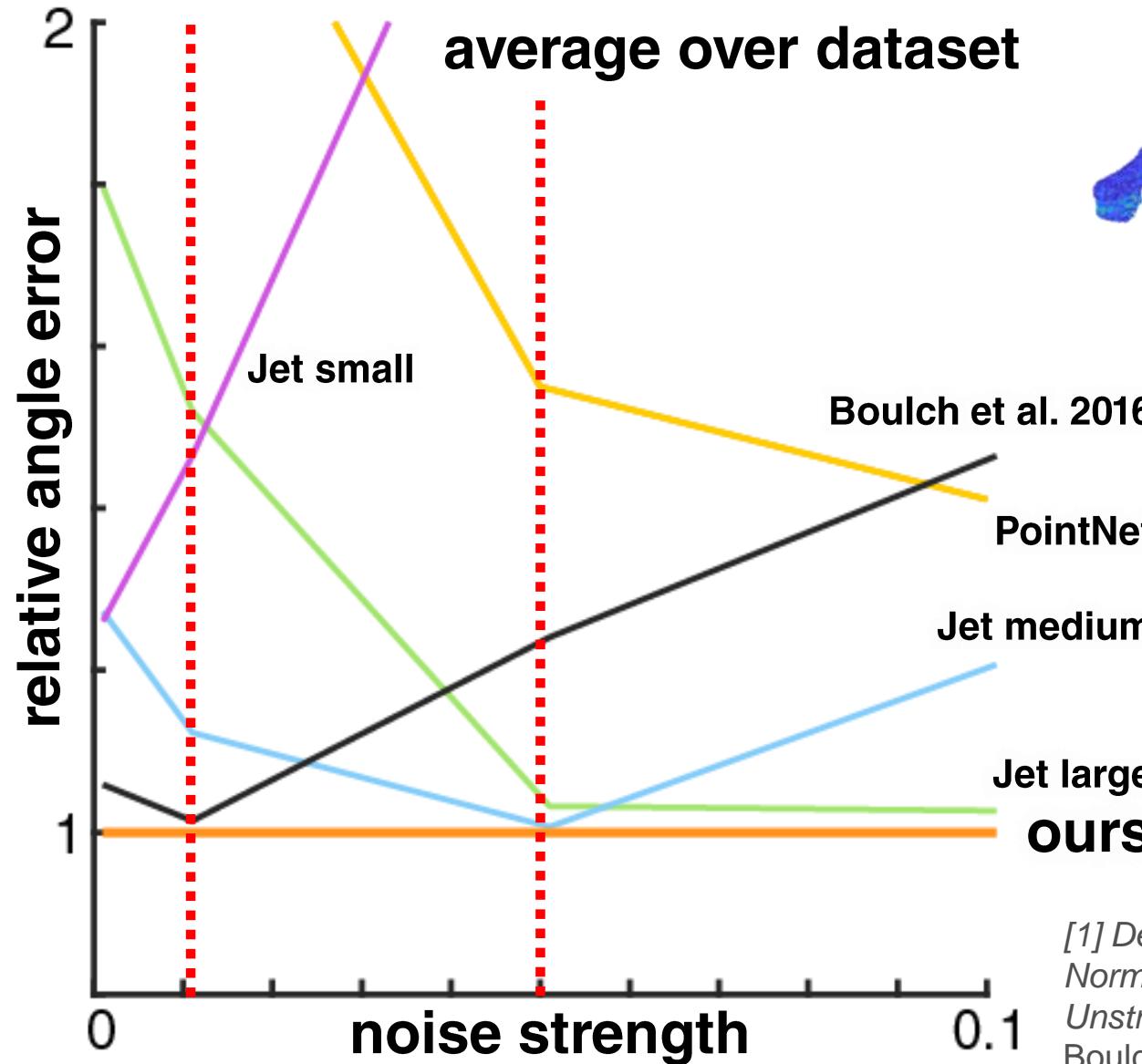


## Sampling variations

noise std. deviation  
(in percentage of  
bounding box diagonal)

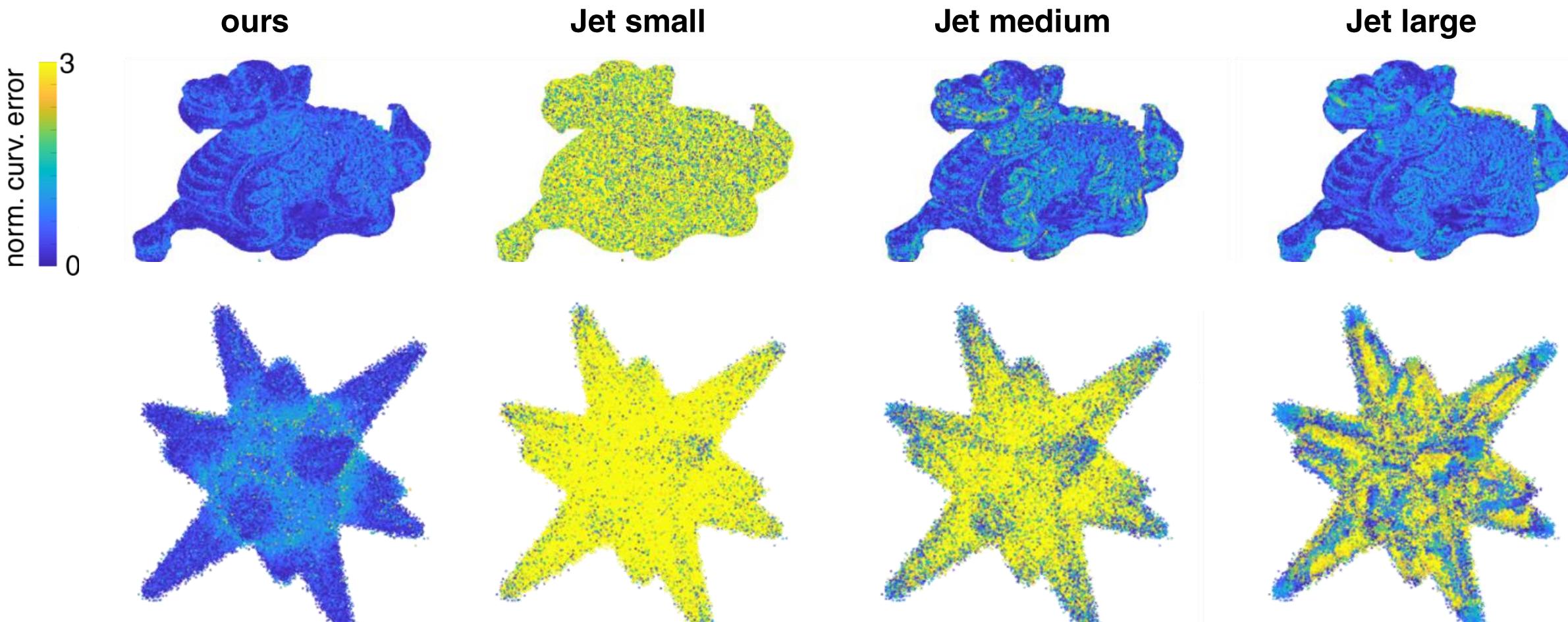


# Unoriented Normal Estimation

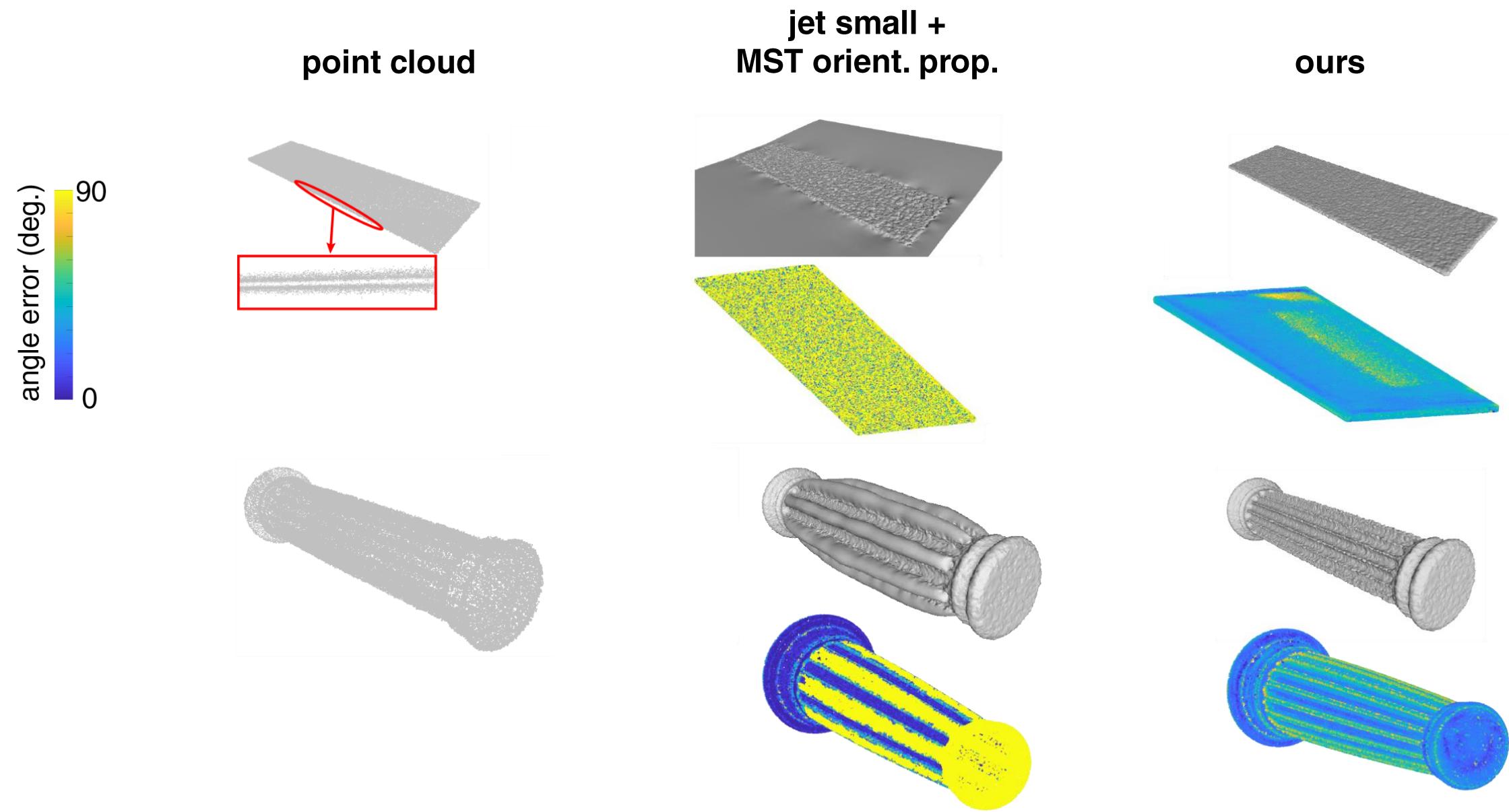


# Maximum Curvature Magnitude Estimation

**max. curvature error**

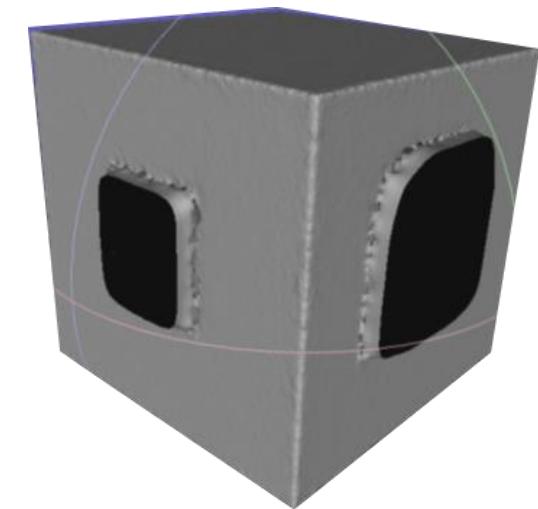
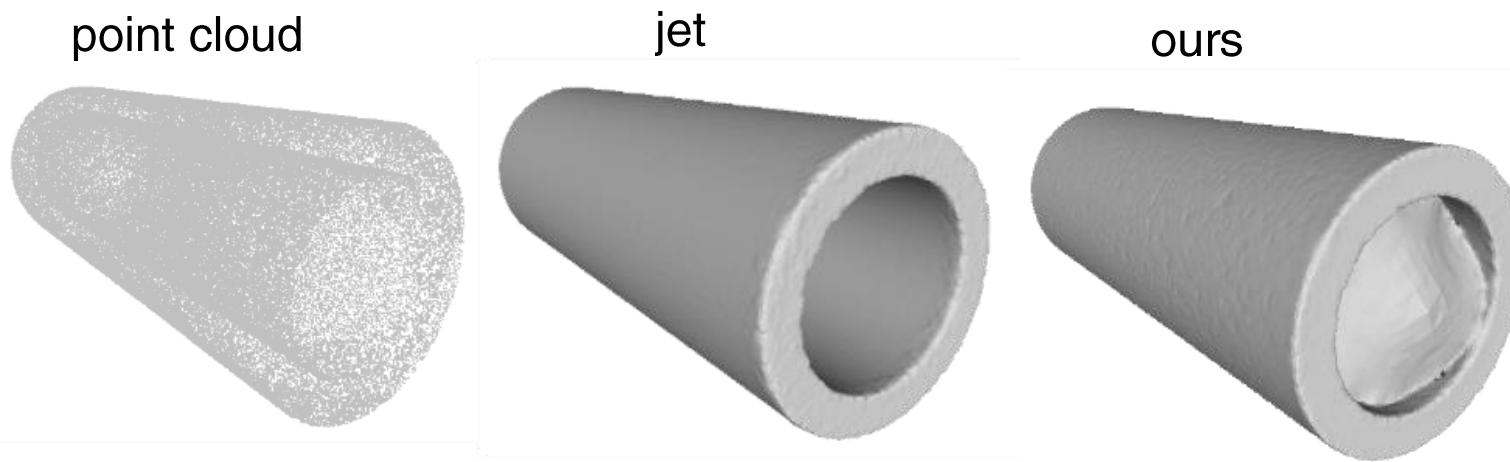


# Oriented Normal Estimation & Surface Recontr.



# Limitations

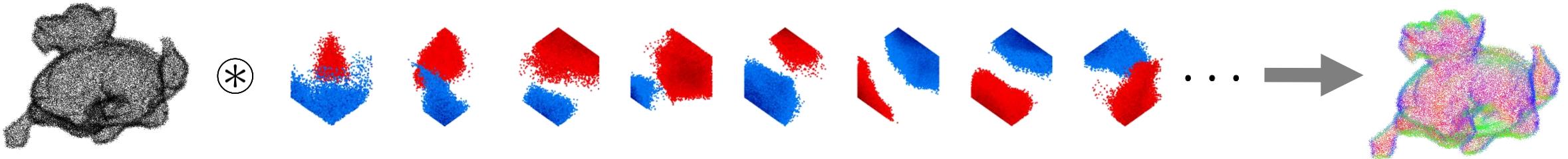
- Usually generalizes well, but may fail on patch configurations that are very different from those given in the training set
- Ambiguous orientations for flat surfaces larger than patch radius



- Slower to evaluate than PointNet, speed is ~ 200 points / second on a single Titan XP

# Conclusions

- Point Functions can be seen as learned continuous 3D kernels
- Convolving these kernels with a point cloud gives rich features that can be used for state-of-the-art normal and curvature estimation



**Website:**

[geometry.cs.ucl.ac.uk/projects/2018/pcpnet](http://geometry.cs.ucl.ac.uk/projects/2018/pcpnet)

**Code:**

[github.com/paulguerrero/pcpnet](https://github.com/paulguerrero/pcpnet)

# Thanks!

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**Acknowledgements:**

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